

CS 242

Programming Languages

John Mitchell

Course web site: <http://www.stanford.edu/class/cs242/>

A little about myself ...



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Professor of Computer Science

Research Interests: Computer security: access control, cryptographic protocols and mobile code security. Programming languages, type systems, object systems, and formal methods. Applications of logic to CS.

B.S. Stanford University; M.S., Ph.D. MIT.

◆ How I spend my time

- Working with graduate students
- Writing papers, going to conferences, giving talks
- Departmental committees (hiring, curriculum, ...)
- Teaching classes
- Conferences, journals, consulting, companies, ...



Course Goals

◆ Programming Language Culture

- A language is a "conceptual universe" (Perlis)
 - Learn what is important about various languages
 - Understand the ideas and programming methods
- Understand the languages you use (C, C++, Java) by comparison with other languages
- Appreciate history, diversity of ideas in programming
- Be prepared for new problem-solving paradigms

◆ Critical thought

- Properties of language, not documentation

◆ Language *and* implementation

- Every convenience has its cost
 - Recognize the cost of presenting an abstract view of machine
 - Understand trade-offs in programming language design

Transference of Lang. Concepts

◆ Parable

- I started programming in 1970's
 - Dominant language was Fortran; no recursive functions
- My algorithms and data structure instructor said:
 - Recursion is a good idea even though inefficient
 - You can use idea in Fortran by storing stack in array
- Today: recursive functions everywhere

◆ Moral

- World changes; useful to understand many ideas

◆ More current example: function passing

- Pass functions in C by building your own closures, as in STL "function objects"

Alternate Course Organizations

◆ Language-based organization

- Algol 60, Algol 68, Pascal
- Modula, Clu, Ada
- Additional languages grouped by paradigm
 - Lisp/Scheme/ML for functional languages
 - Prolog and Logic Programming
 - C++, Smalltalk and OOP
 - Concurrency via Ada rendez-vous

My opinion:

Algol/Pascal/Modula superseded by ML
Lisp/Scheme ideas also in ML
OOP deserves greater emphasis

For comparison, see Sethi's book ...

Alternate Course II

◆ Concept-based organization

- Use single language like Lisp/Scheme
- Present PL concepts by showing how to define them

◆ Advantages:

- uniform syntax, easy to compare features

◆ Disadvantages

- Miss a lot of the culture associated with languages
- Some features hard to add
 - Type systems, program-structuring mechanisms
 - Works best for "local" features, not global structure

Examples: Abelson/Sussman, Friedman et al.

Organization of this course

◆ Programming in the small

- Cover traditional Algol, Pascal constructs in ML
 - Block structure, activation records
 - Types and type systems, ...
- Lisp/Scheme concepts in ML too
 - higher-order functions and closures, tail recursion
 - exceptions, continuations

◆ Programming in the large

- Modularity and program structure
- Specific emphasis on OOP
 - Smalltalk vs C++ vs Java
 - Language design and implementation

Course Organization (cont'd)

◆ Concurrent and distributed programming

- General issues in concurrent programming
- Actor languages: an attempt at idealization
- Concurrent ML
- Java threads

But what about C?

- Important, practical language
- We discuss other languages, you compare them to C in your head as we go (and in homework)
 - Should we cover more? "Intro to C for Java programmers"?
- We do cover the ++ part of C++ in detail

Programming language toolsets



If all you have is a hammer, then everything looks like a nail.



Aside

◆ Current view from carpenters

"A hammer is more than just a hammer. It's a personal tool that you get used to and you form a loyalty with. It becomes an extension of yourself."



<http://www.hammet.com/romance.htm>

First half of course

- ◆ Lisp (2 lectures)
- ◆ Foundations (2 lectures)
 - Lambda Calculus
 - Denotational Semantics
 - Functional vs Imperative Programming
- ◆ Conventional prog. language concepts (6 lectures)
 - ML/Algol language summary (1 lecture)
 - Types and type inference (1 lecture)
 - Block structure and memory management (2 lectures)
 - Control constructs (2 lectures)

----- Midterm Exam -----

Second half of course

- ◆ Modularity and data abstraction (1 lecture)
- ◆ Object-oriented languages (6 lectures)
 - Introduction to objects (1 lecture)
 - Simula and Smalltalk (2 lectures)
 - C++ (1.5 lectures)
 - Java (1.5 lectures)
- ◆ Concurrent and distributed programming (1 lecture)
- ◆ Conclusions and review (1 lecture)

----- Final Exam -----

General suggestions

- ◆ Read ahead
 - Some details are only in HW and reading
- ◆ There is something difficult about this course
 - May be hard to understand homework questions
 - Thought questions: cannot run and debug
 - May sound like there is no right answer, but some answers *are* better than others
 - Many of you may be used to overlooking language problems, so it takes a few weeks to see the issues

Course Logistics

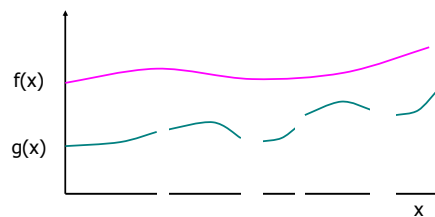
- ◆ Homework and Exams
 - HW handed out and due on Wednesdays
 - Midterm Wed Oct 29 7-9PM, Final Monday Dec 8, 8:30AM
 - Honor Code, Collaboration Policy
- ◆ TA's, Office hours, Email policy, ...
- ◆ Section
 - Friday 1:15-2:30 in Terman 156
 - Optional discussion and review; no new material
- ◆ Reading material
 - Book available in bookstore (I hope).

Look at web site...

Foundations: Partial, Total Functions

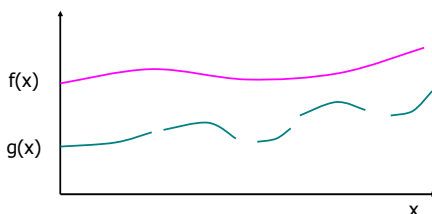
- ◆ Value of an expression may be undefined
 - Undefined operation, e.g., division by zero
 - $3/0$ has no value
 - implementation may halt with error condition
 - Nontermination
 - $f(x) = \text{if } x=0 \text{ then } 1 \text{ else } f(x-2)$
 - this is a *partial* function: not defined on all arguments
 - cannot be detected at compile-time; this is halting problem
 - These two cases are
 - "Mathematically" equivalent
 - Operationally different

Partial and Total Functions



- Total function: $f(x)$ has a value for every x
- Partial function: $g(x)$ does not have a value for every x

Functions and Graphs



- Graph of $f = \{ (x,y) \mid y = f(x) \}$
- Graph of $g = \{ (x,y) \mid y = g(x) \}$

Mathematics: a function is a set of ordered pairs (graph of function)

Partial and Total Functions

- ◆ Total function $f:A \rightarrow B$ is a subset $f \subseteq A \times B$ with
 - For every $x \in A$, there is some $y \in B$ with $(x,y) \in f$ (total)
 - If $(x,y) \in f$ and $(x,z) \in f$ then $y=z$ (single-valued)
- ◆ Partial function $f:A \rightarrow B$ is a subset $f \subseteq A \times B$ with
 - If $(x,y) \in f$ and $(x,z) \in f$ then $y=z$ (single-valued)
- ◆ Programs define partial functions for two reasons
 - partial operations (like division)
 - nontermination
 - $f(x) = \text{if } x=0 \text{ then } 1 \text{ else } f(x-2)$

Halting Problem

Entore Buggati: "I build cars to go, not to stop."



Self-Portrait in the Green Buggati (1925)
Tamara DeLempicka



Computability

◆ Definition

Function f is computable if some program P computes it:
For any input x , the computation $P(x)$ halts with output $f(x)$

◆ Terminology

Partial recursive functions
= partial functions (int to int) that are computable

Halting function

◆ Decide whether program halts on input

- Given program P and input x to P ,

$$\text{Halt}(P,x) = \begin{cases} \text{yes} & \text{if } P(x) \text{ halts} \\ \text{no} & \text{otherwise} \end{cases}$$

Clarifications

Assume program P requires one string input x
Write $P(x)$ for output of P when run in input x
Program P is string input to Halt

Fact: There is no program for Halt

Unsolvability of the halting problem

◆ Suppose P solves variant of halting problem

- On input Q , assume

$$P(Q) = \begin{cases} \text{yes} & \text{if } Q(Q) \text{ halts} \\ \text{no} & \text{otherwise} \end{cases}$$

◆ Build program D

- $D(Q) = \begin{cases} \text{run forever} & \text{if } Q(Q) \text{ halts} \\ \text{halt} & \text{if } Q(Q) \text{ runs forever} \end{cases}$

◆ Does this make sense? What can $D(D)$ do?

- If $D(D)$ halts, then $D(D)$ runs forever.
- If $D(D)$ runs forever, then $D(D)$ halts.
- CONTRADICTION:** program P must not exist.

Main points about computability

◆ Some functions are computable, some are not

- Halting problem

◆ Programming language implementation

- Can* report error if program result is undefined due to division by zero, other undefined basic operation
- Cannot* report error if program will not terminate

Announcements

◆ Topics you'd like to see?

◆ Homework grader?

- Send email to cs242@cs email addr (operational shortly)

◆ Something for fun

- Nominate theme song for each programming language or course topic

◆ Questions???