Stanford University Computer Science Department 1998 Comprehensive Exam in Databases

SOLUTION

- The exam is open book and notes.
- There are 6 problems on the exam, with a varying number of points for each problem and subproblem for a total of 60 points. You should look through the entire exam before getting started, in order to plan your strategy. You have 60 minutes to complete the exam.
- Please write your solutions in the spaces provided on the exam. Make sure your solutions are neat and clearly marked.
- Simplicity and clarity of solutions will count. You may get as few as 0 points for a problem if your solution is far more complicated than necessary, or if we cannot understand your solution.

Provide your magic number here:

Problem	Points	Maximum
1		10
2		6
3		16
4		8
5		10
6		10
Total		60

1. (Database Design – 10 points)

Suppose we have a relation R(A, B, C, D) with functional dependencies $AD \to C$, $B \to A$, and $C \to D$.

(a) List all minimal keys of R. Answer: BC, BD

(b) Which of the given functional dependencies violate Boyce-Codd Normal Form? Answer: all three

(c) Which of the given functional dependencies violate Third Normal Form? Answer: $B \rightarrow A$

2. (Multivalued and Functional Dependencies - 6 points)

Suppose we have a relation R(A, B, C) and the following instance of R.

\Box	B	C
2	40	500
2	50	400
1	20	200
1	30	300
2	40	400
2	50	500

(a) Given this instance, specify two nontrivial multivalued dependencies that cannot hold for R. Answer: $A \rightarrow B$, $A \rightarrow C$.

(b) Can you deduce from this instance any nontrivial functional or multivalued dependencies that are always guaranteed to hold for R? Answer: No 3. (Basic Relational Algebra, SQL, Constraints – 16 points)

Suppose we have the following schema:

Depts(dept#, deptName) // dept# is key Courses(course#, dept#, units) // <course#, dept#> is key

Relation Depts associates a department number (e.g., 230) with a department name (e.g., "CS"). Relation Courses contains course information, e.g., the tuple $\langle 145, 230, 3 \rangle$ states that course 145 of department 230 is taken for 3 units.

- (a) Specify a relational algebra expression that finds all courses (identified by course# and dept#) in a department named "CS" with fewer than 3 units.
 Answer: Π_{course#,dept#}(σ_{deptName="CS" ∧ units<3} (Depts ⊠ Courses))
- (b) Write the previous query in standard SQL2. Answer:

```
SELECT course#, d.dept#
FROM Depts d, Courses c
WHERE d.dept# = c.dept# AND deptName = 'CS' AND units < 3
```

(c) Suppose there is a referential integrity constraint from Courses.dept# to Depts.dept#. Specify a SQL2 assertion that ensures that this referential integrity constraint is not violated. Your answer should be of the form: CREATE ASSERTION (name) CHECK ((condition)). Answer:

```
CREATE ASSERTION RefInt CHECK (
NOT EXISTS (
SELECT *
FROM Courses
WHERE dept# NOT IN (SELECT dept# FROM Depts) ) )
```

49

(d) Suppose we happen to know that the following relational algebra assertion always holds:

 $\Pi_{\texttt{dept}\#}(\texttt{Depts}) \subseteq \Pi_{\texttt{dept}\#}(\sigma_{\texttt{deptName}="CS"}(\texttt{Depts}))$

Also assume that the referential integrity constraint from Courses.dept# to Depts.dept# specified in part (c) holds. Can you simplify your relational algebra query from part (a) based on these two constraints? Answer: $\Pi_{\text{course#,dept#}}(\sigma_{\text{units}<3}(\text{Courses}))$ 4. (Advanced SQL, Relational Algebra – 8 points)

Consider again the schema from Problem 3:

Depts(dept#, deptName) // dept# is key Courses(course#, dept#, units) // <course#, dept#> is key

(a) Write a query in SQL2 that finds the number of courses offered by each department. The schema of the query result should be (dept#, num-of-courses). Do not assume that any of the constraints from Problem 3 hold.
 Answer:

(SELECT dept#, COUNT(*)
FROM Courses
GROUP BY dept#)
UNION
(SELECT dept#, 0
FROM Depts
WHERE dept# NOT IN (SELECT dept# FROM Courses))

(b) Can you write the same query in relational algebra? If so, specify the relational algebra expression.Answer: No

5. (Transactions - 10 points)

Continue with the schema from Problems 3 and 4:

Depts(dept#, deptName)	// dent# is kow
Courses(course#, dept#, units)	// <course#,dept#> is key</course#,dept#>

The following code segment is intended to ensure that any insertion transaction to Courses does not violate the referential integrity constraint from Courses.dept# to Depts.dept# upon completion. Complete the code segment by filling out the underlined portions. Do not write code to implement the comments.

```
EXEC SQL BEGIN DECLARE SECTION;
 1)
       int courseN, deptN, nUnits; /* variables for Courses attributes */
 2)
      int checkCount; /* variable for checking constraint */
 3)
 3)
    EXEC SQL END DECLARE SECTION;
    void insertToCourses() {
 4)
      /* C code to prompt the user to enter values for new Courses tuple.
 5)
6)
         The values entered for the tuple attributes are stored in
         courseN, deptN, and nUnits. */
7)
      EXEC SQL SELECT _____ INTO : checkCount
8)
9)
              FROM Depts
10)
              WHERE Depts.dept# = :deptN;
      if (_____) {
11)
12)
        EXEC SQL INSERT INTO Courses.
13)
                VALUES (:courseN, :deptN, :nUnits);
14)
             ------
15)
     }
16)
     else
17)
           -----
18)
    }
```

Answer:

Line 8) COUNT(dept#) Line 11) checkCount > 0 Line 14) EXEC SQL COMMIT; Line 17) EXEC SQL ROLLBACK;

6. (Entity-Relationship Design – 10 points)

The following Entity-Relationship diagram has entity sets *Professor*, *Student*, and *Course*. Relationship *Teaches* relates professors to the course(s) they teach, and relationship *Takes* relates students to the course(s) they take, including the number of units enrolled. (Note that this design is not related to the Depts-Courses relational schema used in Problems 3-5.)



(a) Based on the above diagram, can a professor teach more than one course? Answer: No

Can a student take more than one course? Answer: Yes

(b) Specify a relational schema corresponding to the above diagram. Your schema should be based on a straightforward mapping in which there is one relation for each entity set and one for each relationship. Underline a minimal key for each relation.

Answer: Professor(<u>pName</u>, office) Student(<u>sName</u>, addr) Course(<u>course#</u>, room) Teaches(<u>pName</u>, course#) Takes(<u>sName</u>, course#, units),

(c) Suppose we combine *Teaches* and *Takes* into a single ternary relationship. Identify a real-world situation that can be modeled by the two binary relationships *Teaches* and *Takes*, but that cannot be modeled by the ternary relationship. Answer: A student may take a course that no professor is teaching. Alternatively, a professor may teach a course that no student is taking.